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SYNOPSIS

279 The Contest Corner: No. 67 *John McLoughlin*

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This month's "free sample" is:

4368. *Proposed by Ovidiu Furdui and Alina Sîntămărian.*

Calculate

$$\sum_{n=2}^{\infty} \left[2^n \left(\zeta(n) - 1\right) - 1\right],$$

where ζ denotes the Riemann zeta function defined as $\zeta(z) = \sum\limits_{n=1}^{\infty} \dfrac{1}{n^z}$.

. . . . . .

4368. *Proposé par Ovidiu Furdui et Alina Sîntămărian.*

Calculez

$$\sum_{n=2}^{\infty} \left[2^n \left(\zeta(n) - 1\right) - 1\right],$$

où ζ indique la fonction zeta de Riemann définie par $\zeta(z) = \sum\limits_{n=1}^{\infty} \dfrac{1}{n^z}$.