$3\mbox{-independence number of graphs}$

We present a spectral bound on the 3-independence number of graphs and apply this bound to well-known families of graphs. We investigate tightness of this bound on the Hamming graph H(d,q). In particular, we give a construction of 3-independent sets in H(d,2) and show tightness of the bound for $d = 2^r$ and $d = 2^r - 1$ with $r \in \mathbb{Z}^+$.

 $[\]textbf{LORD KAVI}, \text{ University of Ottawa}$