## **TYRONE CRISP**, University of Maine An imprimitivity theorem for Hilbert modules

Mackey's imprimitivity theorem identifies those unitary representations of a group G that are induced from a representation of a subgroup H: the induced representations are precisely those that carry a compatible representation of the  $C^*$ -algebra  $C_0(G/H)$ . Rieffel later put this result into the broader context of induced representations of  $C^*$ -algebras: induced representations can in general be characterised by the existence of a compatible representation of an auxiliary  $C^*$ -algebra.

In this talk I shall discuss the related problem of recognising induced Hilbert  $C^*$ -modules. I shall explain why the natural auxiliary object entering into the characterisation of induced modules is a kind of  $C^*$ -coalgebra, rather than a  $C^*$ -algebra; and I will describe two examples in which these somewhat abstract co-algebraic objects can be put into a more familiar  $C^*$ -algebraic form.