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A Galois property of even degree Bernoulli polynomials
Let $k$ be an even integer such that $k$ is at least 2 . We give a (natural) density result to show that for almost all $d$ at least 2 , the equation $(x+1)^{k}+(x+2)^{k}+\ldots+(x+d)^{k}=y^{n}$ with $n$ at least 2 , has no integer solutions $(x, y, n)$. The proof relies upon some Galois theory and group theory, whereby we deduce some interesting properties of the Bernoulli polynomials. This is joint work with Samir Siksek (University of Warwick).

