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On C^ -algebras associated to product systems*

Many examples of product systems arise from actions of semigroups by endomorphisms of a C^* -algebra. In this talk, assuming that P is a unital subsemigroup of a group G , we will define the covariance algebra of a product system $\mathcal{E} = (\mathcal{E}_p)_{p \in P}$ over a C^* -algebra A , which is constructed out of a gauge-invariant ideal of the Toeplitz algebra of \mathcal{E} . The covariance algebra, denoted by $A \times_{\mathcal{E}} P$, does not depend on the group G . We will discuss further properties of a covariance algebra: under the appropriate assumptions, a representation of $A \times_{\mathcal{E}} P$ in a C^* -algebra is injective if and only if it is injective on A . In particular, this may be viewed as a generalization of a Cuntz-Pimsner algebra of a single correspondence. We will also see examples of C^* -algebras in the setting of irreversible C^* -dynamical systems that can be described as a covariance algebra of a product system.