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*Cosimplicial models for manifold calculus*

Manifold calculus is a tool developed by Goodwillie and Weiss which enables to approximate a contravariant functor,  $F$ , from the category of  $m$ -manifolds to the category of spaces (or alike), by its “Taylor approximation”,  $T_\infty F$ . I will explain how to construct a fairly explicit and computable cosimplicial model of  $T_\infty F(M)$  out of a simplicial model of the manifold  $M$  (i.e. out of a simplicial set whose realization is  $M$ ). This cosimplicial model in degree  $p$  is then equivalent to the evaluation of  $F$  on a disjoint union of as many  $m$ -disks as  $p$ -simplices in the simplicial model of  $M$ .

As an example, we apply this construction to the functor  $F(M) = \text{Emb}(M, W)$  of smooth embeddings in a given manifold  $W$ ; in that case our cosimplicial model in degree  $p$  is then just the configuration space of all the  $p$ -simplices of  $M$  in  $W$  product with a power of a Stiefel manifold. When  $\dim(W) > \dim(M) + 2$ , a theorem of Goodwillie-Klein implies that our explicit cosimplicial space is a model of  $\text{Emb}(M, W)$ . This generalizes Sinha's cosimplicial model for the space of long knots which was for the special case when  $M$  is the real line. (This is joint work with Pedro Boavida de Brito, Pascal Lambrechts, and Daniel Pryor)