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Polar convexity and critical points of polynomials
We say that a set $A$ in the complex plane is convex with respect to the pole $u$, if for any two points $x$ and $y$ in $A$, the arc from the circle through $x, y$ and $u$, that does not contain $u$, is in $A$. If the pole $u$ is taken to be at infinity, this notion coincides with the usual notion of convexity.
The classical Gauss-Lucas theorem states that the critical points of a polynomial are in the convex hull of its zeros. We use the notion polar convexity to extend the Gauss-Lucas theorem and capture the zeros of the polar derivatives of a polynomial. In this talk we present basic properties of polar convexity, including duality results between a set and the set of its poles. We give a formula for finding all poles of a set with simple $C^{3}$ boundary.

