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Betti table stabilization of homogeneous monomial ideals

Given an homogenous monomial ideal I, we provide a question and example based investigation on the stabilization patterns of the Betti tables shapes of I^d as we vary d. We build off Whieldon's definition of the stabilization index of I, $\operatorname{Stab}(I)$, to define the stabilization sequence of I, $\operatorname{StabSeq}(I)$, and use it to explore changes in the shapes of the Betti tables of I^d as we vary d. We also present the stabilization indexes and sequences of the collection of ideals $\{I_n\}$ where $I_n = (a^{2n}b^{2n}c^{2n},b^{4n}c^{2n},a^{3n}c^{3n},a^{6n-1}b) \subseteq \Bbbk[a,b,c]$.