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*Nonlinear maps preserving the minimum and surjectivity moduli*

Let  $X$  and  $Y$  be infinite-dimensional complex Banach spaces, and let  $\mathcal{B}(X)$  (resp.  $\mathcal{B}(Y)$ ) denote the algebra of all bounded linear operators on  $X$  (resp. on  $Y$ ). We describe surjective maps  $\varphi$  from  $\mathcal{B}(X)$  to  $\mathcal{B}(Y)$  satisfying

$$c(\varphi(S) \pm \varphi(T)) = c(S \pm T)$$

for all  $S, T \in \mathcal{B}(X)$ , where  $c(\cdot)$  stands either for the minimum modulus, or the surjectivity modulus, or the maximum modulus. We also obtain analog results for the finite-dimensional case.