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*Topological 4-manifolds with RAAG fundamental groups*

For a non-simply connected 4-manifold  $M$ , the basic homotopy invariants are the fundamental group  $\pi := \pi_1(M)$ , the second homotopy group  $\pi_2(M)$ , the equivariant intersection form  $s_M$ , and the first  $k$ -invariant  $k_M \in H^3(\pi; \pi_2(M))$ . These four invariants give the quadratic 2-type of  $M$ ,

$$Q(M) := [\pi_1(M), \pi_2(M), s_M, k_M].$$

In 2009, Hambleton, Kreck and Teichner showed that the quadratic 2-type determines the classification of topological 4-manifolds with geometrically 2-dimensional fundamental groups. In this talk, I'll present my joint work with Ian Hambleton in which we prove a similar result for topological spin 4-manifolds with certain fundamental groups called right-angled Artin groups (or RAAGs). A RAAG is a finitely generated group whose relators consist solely of commutators between generators.