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**HERB KUNZE**, University of Guelph

*Inverse boundary value problems in reflexive Banach spaces*

In very recent work, a "collage method" for solving inverse boundary value problems has been established. The framework for the approach is built upon the Lax-Milgram theorem, cast within a Hilbert space  $H$ . In this talk, we extend both the Lax-Milgram theorem and the collage method to the setting of reflexive Banach spaces. We see that the formulation includes the earlier framework as a special case. As an example, we consider the simple boundary value problem  $-d/dx(K(x)du/dx)=f(x)$ ,  $x$  in  $[0,1]$ ,  $u(0)=0$ ,  $u(1)=0$ , with  $f(x)$  in a non-Hilbertian space. We demonstrate that the new approach performs very well in solving a related inverse problem, while, not unexpectedly, the Hilbert-space based approach performs very poorly.