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*Asymptotics for Riesz  $d$ -energies of some  $d$ -rectifiable manifolds*

For compact  $A \subset \mathbb{R}^p$ ,  $1 \leq d \leq p$ , and  $\omega_N = \{x_1, \dots, x_N\}$  an  $N$ -point subset of  $A$ , the Riesz  $d$ -energy of  $\omega_N$  is  $E_d(\omega_N) := \sum_{\substack{x_i \neq x_j \\ x_i, x_j \in \omega_N}} |x_i - x_j|^{-d}$  for the Euclidean distance  $|\cdot|$ , and the minimal energy for fixed  $N$  is  $\mathcal{E}_d(N, A) := \min_{\omega_N \subset A} E_d(\omega_N)$ .

If  $A$  is contained in a  $d$ -dimensional  $C^1$  manifold, then some very elegant asymptotics hold for both the minimal energies  $\mathcal{E}_d(N, A)$  and the limiting distributions of the minimizing configurations  $\omega_N^*$ .

We discuss a recent extension of such asymptotics to certain types of  $d$ -rectifiable manifolds.