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*Motives of spaces*

Waldhausen's ringspectrum  $A(*)$  is an augmented  $S$ -algebra, and (at least, over the rationals) the derived tensor product  $S \otimes_A^L S$  (essentially, Tate's homology of  $A$  as a local ring with residue field  $S$ ) is the Hopf algebra dual to the enveloping algebra of a free graded Lie algebra. This has interesting connections with the Deligne–Goncharov motivic group for the category of mixed Tate motives over the integers, work of B. Williams on bivariant  $A$ -theory, and work of Baker and Richter on quasisymmetric functions.