ANH VINH LE, Harvard University, Mathematics Department, 1 Oxford St., MA 02138, US Some colouring problems of unit-quadrance graphs

The quadrance between two points $A_{1}=\left(x_{1}, y_{1}\right)$ and $A_{2}=\left(x_{2}, y_{2}\right)$ is the number $Q\left(A_{1}, A_{2}\right)=\left(x_{1}-x_{2}\right)^{2}+\left(y_{1}-y_{2}\right)^{2}$. Let $q$ be an odd prime power and $F_{q}$ be the finite field with $q$ elements. The unit-quadrance graph $D_{q}$ has the vertex set $F_{q}^{2}$, and $X, Y$ in $F_{q}^{2}$ are adjacent if and only if $Q\left(A_{1}, A_{2}\right)=1$. In this talk, we will discuss various colouring problems for the unit-quadrance graph $D_{q}$.

