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*Invariant Theory and Lie Groups*

The  $\text{mod } p$  cohomology of a Lie group is a Hopf algebra, *i.e.*, both an algebra and a coalgebra. It is well known, going back to the work of Borel and Chevalley in the 1950's, that the rational cohomology of a connected Lie group  $G$  and of its classifying space  $BG$  can be determined from a knowledge of the invariant theory of the Weyl group of  $G$ . This same result holds in  $\text{mod } p$  cohomology provided  $p$  is not a torsion prime for  $G$  ( $p$  is a torsion prime if  $p$  torsion appears in the integral cohomology of  $G$ ). Kac and Peterson introduced the concept of generalized invariants of a Weyl group and demonstrated that generalized invariants determine the  $\text{mod } p$  cohomology of  $G$  when  $p$  is a torsion prime. We will consider the relation between the generalized invariants of  $G$  and the coalgebra structure of the  $\text{mod } p$  cohomology of  $G$ .