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*Equivariant Eilenberg-Watts theorem for locally compact quantum groups*

Let  $A$  and  $B$  be two von Neumann algebras. We write  $\text{Corr}(A, B)$  for the category of  $A$ - $B$ -correspondences, whose objects consist of Hilbert spaces endowed with an appropriate  $A$ - $B$ -bimodule structure. As a special case,  $\text{Rep}(A) = \text{Corr}(A, \mathbb{C})$  is the category of all normal, unital  $*$ -representations of  $A$  on Hilbert spaces. In the seventies, M. Rieffel proved that there is a categorical equivalence

$$\text{Corr}(A, B) \simeq \text{Fun}(\text{Rep}(B), \text{Rep}(A)),$$

where the latter is the category of all normal  $*$ -functors  $\text{Rep}(B) \rightarrow \text{Rep}(A)$ . This is a von Neumann algebra version of the celebrated Eilenberg-Watts theorem. In this talk, we explain how this result can be generalized to the setting where the von Neumann algebras  $A$  and  $B$  are upgraded with actions  $A \curvearrowright \mathbb{G}$  and  $B \curvearrowright \mathbb{G}$ , where  $\mathbb{G}$  is a locally compact quantum group.