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The quasisymmetric Macdonald polynomials are quasi-Schur positive at $t = 0$

The quasisymmetric Macdonald polynomials $G_\gamma(X; q, t)$ are a quasisymmetric refinement of the $P_\lambda(X; q, t)$'s that specialize to the quasisymmetric Schur functions $QS_\gamma(X)$. We study the $t = 0$ specialization $G_\gamma(X; q.0)$, which can be described as a sum over weighted multiline queues. We show that $G_\gamma(X; q, 0)$ expands positively in the quasisymmetric Schur basis and give a charge formula for the quasisymmetric Kostka-Foulkes polynomials $K_{\gamma,\alpha}(q)$ in the expansion $G_\gamma(X; q, 0) = \sum_\alpha K_{\gamma,\alpha}(q) QS_\alpha(X)$.