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*On the Hamilton-Waterloo problem for a class of Cayley graphs*

The Hamilton-Waterloo problem  $HWP(\Gamma; m, n; \alpha, \beta)$  asks for a factorization of the simple graph  $\Gamma$  into  $\alpha$   $C_m$ -factors and  $\beta$   $C_n$ -factors. The classic version of the problem, that is, the case in which  $\Gamma$  is the complete graph is still open, although it has been the subject of an extensive research activity.

In this talk, I will consider the Cayley graph  $C_m[n] = \text{Cay}(\mathbb{Z}_m \times \mathbb{Z}_n, S)$  with connection set  $S = \{1, -1\} \times \mathbb{Z}_n$  and present an almost complete solution to  $HWP(C_m[n]; m, n; \alpha, \beta)$  with  $m$  and  $n$  odd. Peter Danziger will show how this result can be used to make progress on the classic problem.

This is joint work with Andrea Burgess and Peter Danziger.