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*Extended near Skolem sequences: where are we now?*

Skolem-type sequences can be useful in constructing various types of designs, for example in constructing Steiner triple systems and cyclic partial triple systems.

A  $k$ -extended  $q$ -near Skolem sequence of order  $n$  is an integer sequence  $(s_1, \dots, s_{2n-1})$  with  $s_k = 0$  such that for each  $j \in \{1, 2, \dots, n\} \setminus \{q\}$ , there exists a unique  $i$  with  $s_i = s_{i+j} = j$ . It is straightforward to show that such a sequence exists only if

- (1)  $n \equiv 0, 1 \pmod{4}$  and  $q$  and  $k$  have the same parity, or
- (2)  $n \equiv 2, 3 \pmod{4}$  and  $q$  and  $k$  have opposite parity.

However, it is more difficult to show that these conditions are sufficient. We examine various families of constructions and assess what is left to do.