QIANGLONG WEN, University of Alberta, 114 St – 89 Ave, Edmonton, Alberta, Canada, T6G 2E1 Some Irreducible Characters of $GL(2, \mathbb{Z}/p^n\mathbb{Z})$ and $GL(3, \mathbb{Z}/p^n\mathbb{Z})$

Nowadays there is considerable interest in the representations of $\operatorname{GL}(n, \mathbb{Z}_p)$, where $\operatorname{GL}(n, \mathbb{Z}_p)$ are the *p*-adic integers. Since every continuous irreducible representation of $\operatorname{GL}(n, \mathbb{Z}_p)$ comes from a representation of $\operatorname{GL}(n, \mathbb{Z}_p/p^m \mathbb{Z}_p)$ and $\mathbb{Z}_p/p^m \mathbb{Z}_p) \cong \mathbb{Z}/p^m \mathbb{Z}$, I focus on finding some irreducible characters of $\operatorname{GL}(n, \mathbb{Z}/p^m \mathbb{Z})$. Clifford Theory gives us a method to construct irreducible characters of a group *G*, by inducing up certain irreducible characters of subgroups *H* of *G*. I apply Clifford Theory to construct three types of irreducible characters of groups $\operatorname{GL}(2, \mathbb{Z}/p^n \mathbb{Z})$ and $\operatorname{GL}(3, \mathbb{Z}/p^n \mathbb{Z})$.