## **KATE POIRIER**, City University of New York - NYCCT *Polyhedra for V-infinity algebras, string topology, and moduli spaces*

Where associahedra are polyhedra that organize operations and relations in an  $A_{\infty}$  algebra, associaphedra are polyhedra that organize operations and relations in a  $V_{\infty}$  algebra, a homotopy version of an associative algebra that has a compatible co-inner product. Assocoipahedra appear in the study of spaces of string topology operations—both on the chains or homology of the loop space of a closed, oriented manifold (the topological side) and on the Hochschild cochains or cohomology of a  $V_{\infty}$  algebra (the algebraic side). We describe the role assocoipahedra play on both sides and present progress on a conjecture relating these spaces of operations to the moduli space of Riemann surfaces.