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A remark on certain Schanuel n -tuples for the j -function.

The famous conjecture of Schanuel states that given any n complex numbers $\alpha_1, \dots, \alpha_n$ that are \mathbb{Q} -linearly independent, the transcendence degree of the field extension $\mathbb{Q}(\alpha_1, \dots, \alpha_n, e^{\alpha_1}, \dots, e^{\alpha_n})$ is at least n over \mathbb{Q} . A rather curious result of K Senthil Kumar states that for any \mathbb{Q} -linearly independent tuple $\alpha_1, \dots, \alpha_n$, there exists uncountably many $c \in \mathbb{C}$ such that the transcendence degree of the field extension $\mathbb{Q}(c\alpha_1, \dots, c\alpha_n, e^{c\alpha_1}, \dots, e^{c\alpha_n})$ is at least n over \mathbb{Q} . In this talk we will explore a method for obtaining a modular (j -function) analogue of this result.