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*The Eberlein Compactification of the Heisenberg Type Group  $\mathbb{Z} \times \mathbb{T} \times \mathbb{T}$*

Given a locally compact group  $G$ , the *Eberlein compactification*  $G^e$  is the spectrum of the uniform closure of the Fourier-Stieltjes algebra  $B(G)$ . It is a semitopological semigroup compactification and thus a quotient of the weakly almost periodic compactification of  $G$ . In this talk we aim to study the Eberlein compactification of the group  $\mathbb{Z} \times \mathbb{T} \times \mathbb{T}$  equipped with Heisenberg type multiplication. First, we will see that transitivity properties of the action of  $\mathbb{Z} \times \mathbb{T}$  on the central subgroup  $\mathbb{T}$  force some aspects of the structure of  $(\mathbb{Z} \times \mathbb{T} \times \mathbb{T})^e$  to be quite simple. On the other hand, we will observe that the Eberlein compactification of the direct product group  $\mathbb{Z} \times \mathbb{T}$  is large with a complicated structure, and can be realized as a quotient of the Eberlein compactification  $(\mathbb{Z} \times \mathbb{T} \times \mathbb{T})^e$ .