We give evidence for the Bloch–Kato conjecture for the convolution $L$-function of two elliptic modular forms. Let $f$ be a newform of weight 2 and $g$ be a newform of weight $2k$, $k \leq 7$, of level $\Gamma_0(q)$ for an odd prime $q$ such that they have irreducible mod $p$ Galois representations for $p$ an odd prime different from $q$. Let $M$ be the motive associated to the mod $p$ Galois representation $\rho_f \otimes \rho_g$. We show that under suitable conditions on $p$

\[
\text{val}_p(L_{\text{alg}}(0, M)) \leq \text{val}_p(\# \text{Sel}(M)(-k)).
\]

This is carried out by studying congruences between Yoshida lift of $f, g$ and stable forms on $\text{GSp}(4)$. This is joint work with Kris Klosin.