

---

**CHI SONG WONG**, University of Windsor

*Robustness of optimal designs for correlated random variables*

Suppose that  $Y = (Y_i)$  is a normal random matrix with mean  $Xb$  and covariance  $\sigma^2 I_n$ , where  $b$  is a  $p$ -dimensional vector  $(b_j)$ ,  $X = (X_{ij})$  is an  $n \times p$  matrix with  $X_{ij} \in \{-1, 1\}$ ; this corresponds to a factorial design with  $-1, 1$  representing low or high level respectively, or corresponds to a weighing design with  $-1, 1$  representing an object  $j$  with weight  $b_j$  placed on the left and right of a chemical balance respectively.  $E$ -optimal designs  $Z$  are chosen that are robust in the sense that they remain  $E$ -optimal when the covariance of  $Y_i, Y_{i'}$  is  $\rho > 0$  for  $i \neq i'$ . Within a smaller class of designs similar results are obtained with respect to a general class of optimality criteria which include the  $A$ - and  $D$ -criteria.

The talk is based on my three joint papers with Joe Masaro published in 2008 in JSPI and LAA.