

---

**LEO BUTLER**, University of Edinburgh, School of Mathematics, James Clerk Maxwell Bldg., King's Buildings, Edinburgh, UK, EH9 3JZ

*The Maslov cocycle, smooth structures and real-analytic complete integrability*

In this talk, I will discuss two main results. First, I show that if the cotangent bundle of a smooth manifold homeomorphic to the standard  $n$ -torus admits a real-analytically completely integrable convex hamiltonian, then the manifold is diffeomorphic to the standard  $n$ -torus. Second, I prove that for some topological 7-manifolds, the cotangent bundle of each smooth structure admits a real-analytically completely integrable riemannian metric hamiltonian.

This proves that the existence of a real-analytically completely integrable convex hamiltonian is a non-trivial smooth invariant of a manifold.