MIHIR DEO, University of Ottawa
Factorization of unbounded p-adic L-functions
Let $F_{\alpha}, F_{\beta}$ be two power series over a finite extension of the field of $p$-adic numbers $\mathbb{Q}_{p}$ satisfying certain interpolation formulae. Suppose further that the coefficients of the power series have unbounded denominators satisfying certain growth condition. In this talk, we will discuss the decomposition of $F_{\alpha}$ and $F_{\beta}$ into linear combinations of two power series with integral coefficients. We use $p$-adic Hodge theory, in particular the theory of Wach modules and Perrin-Riou's $p$-adic regulator to construct a logarithmic matrix (in the spirit of Sprung and Lei-Loeffler-Zerbes) which is used in the factorization. This is an extension of a result of Büyükboduk-Lei and is a part of my ongoing project which deals with the factorization of two variable $p$-adic $L$-function attached to a small slope Bianchi modular form constructed by Williams.

