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On the chromatic index of STS block intersection graphs
Given a combinatorial design, its block intersection graph is obtained by creating a vertex for each block and making vertices adjacent when their blocks have non-empty intersection. The chromatic index $\chi^{\prime}(G)$ of a graph $G$ is the least number of colours with which the edges can be labelled such that adjacent edges are never of the same colour. For any simple graph of maximum degree $\Delta(G)$, Vizing has established that $\Delta(G) \leq \chi^{\prime}(G) \leq \Delta(G)+1$. Here we consider the chromatic index of block intersection graphs of Steiner triple systems. This is joint work with Jonathan Poulin.

