**DAVID PIKE**, Memorial University of Newfoundland *Equitably Coloured BIBDs* 

A balanced incomplete block design (BIBD) with parameters v, k and  $\lambda$  consists of a v-set V of points together with a set  $\mathcal{B}$  of k-subsets of V called blocks, such that each 2-subset of V is a subset of exactly  $\lambda$  blocks of  $\mathcal{B}$ . A colouring of a design  $(V, \mathcal{B})$  is a function  $f: V \to C$ , where  $C = \{c_1, \ldots, c_\ell\}$  is a set of elements called colours. A weak colouring of a design is a colouring f such that  $|\{f(x): x \in B\}| > 1$  for each  $B \in \mathcal{B}$  (i.e., each block has at least two colours). An equitable colouring is a colouring such that for each block  $B \in \mathcal{B}$  the number of points of any colour  $c_i \in C$  is within 1 of the number of points of any other colour  $c_j \in C$  (i.e.,  $-1 \leq |B \cap C_i| - |B \cap C_j| \leq 1$ , where  $C_t = \{x \in V : f(x) = c_t\}$  denotes those points of V having colour  $c_t$ ). We determine necessary and sufficient conditions for equitably colourable BIBDs. This is joint work with Robert Luther.