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Determining the Waring rank: special cases
The Waring rank of an homogeneous degree $d$ polynomial $F\left(x_{1}, \ldots, x_{n}\right)$ is the minimal $s$ such that we can write

$$
F=L_{1}^{d}+\ldots+L_{s}^{d},
$$

where the $L_{i}$ are linear forms. As a matter of fact, there is no effective algorithm to compute the Waring rank, $\mathrm{rk}(F)$, of a given polynomial. Thus we will show the few cases in which $\operatorname{rk}(F)$ is explicitly known. Namely, if $F$ is a degree two form (classically known) or if $F$ is a monomial or a sum of coprime monomials. This is based on joint work with M.V.Catalisano and A.V.Geramita.

