**VINCENT BOUCHARD**, Perimeter Institute, 31 Caroline Street North, Waterloo, Ontario, N2L 2Y5, Canada On the landscape of standard-model bundles on non-simply connected Calabi–Yau threefolds

Let X be a smooth Calabi–Yau threefold of Schoen's type, *i.e.*, a fiber product of two rational elliptic surfaces over  $\mathbb{P}^1$ . We classify all pairs (X,G), where G is a finite group acting freely on X, such that the quotient X/G is a non-simply connected torus-fibered Calabi–Yau threefold. We also systematize the construction of stable G-invariant vector bundles on X with structure group  $\mathrm{SU}(4)$  or  $\mathrm{SU}(5)$ . This work is motivated by the search for vacua of heterotic string theory yielding realistic four-dimensional physics, and the study of the landscape of such heterotic vacua.

This is joint work with Ron Donagi.