MARIO EUDAVE, Instituto de Matematicas, UNAM, Circuito Exterior, Ciudad Universitaria, 04510 Mexico DF, MEXICO The Hexatangle II

A tangle is a pair $(B, A)$, where $B$ is the 3 -sphere with the interiors of a finite number of 3 -balls removed, and $A$ is a disjoint union of properly embedded arcs in $B$ such that $A$ meets each component of $\partial B$ in four points. The Hexatangle is a certain tangle having six boundary components and a projection into the plane with no crossings. By filling the boundary components of a tangle with rational tangles we get knots and links in the 3-sphere. In a previous work we determined all the integral fillings on the hexatangle that produce the trivial knot. Now we consider arbitrary rational fillings of the hexatangle, and have a conjecture which says exactly when we can get the trivial knot. We show some partial results about this conjecture. The double branched cover of the hexatangle is a certain hyperbolic link $L$ of six components in $S^{3}$. Our problem is equivalent to determining all Dehn surgeries on $L$ that produce the 3 -sphere. This link is interesting, for infinitely many hyperbolic knots which have exceptional surgeries are obtained by performing surgery on 5 components of $L$, and then a solution of the conjecture will lead to a listing of all such knots that are obtained from $L$.
This is joint work with Lorena Armas-Sanabria.

