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Higher dimensional manifolds with  $S^1$ -category two

A subset U of a closed topological n-manifold M is  $S^1$ -contractible (in M) if there exist maps  $f: U \longrightarrow S^1$ ,  $\alpha: S^1 \longrightarrow M$  such that the inclusion of U into M is homotopic to  $\alpha f$ .

M has  $S^1$ -category  $\leq k$  if it can be covered by k open subsets which are  $S^1$ -contractible.

Previously we have determined, for  $n \leq 3$ , the *n*-manifolds with  $S^1$ -category 2.

**Theorem 1** If n > 3 and  $M^n$  has  $S^1$ -category 2 then  $M^n$  is an n-sphere or an  $S^{n-1}$ -bundle over  $S^1$ .

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